Optical signature of subgap absorption in the superconducting state of $Ba(Fe_{1-x}Co_x)_2As_2$

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The optical conductivity of $Ba(Fe_{0.92}Co_{0.08})_2As_2$ shows a clear signature of the superconducting gap but a simple *s*-wave description fails in accounting for the low-frequency response. This task is achieved by introducing an extra Drude peak in the superconducting state representing subgap absorption, other than thermally broken pairs. This extra peak and the coexisting *s*-wave response respect the total sum rule indicating a common origin for the carriers. We discuss the possible origins for this absorption as (i) quasiparticles due to pair breaking from interband impurity scattering in a two-band s_{\pm} -gap symmetry model, which includes (ii) the possible existence of impurity levels within an isotropic gap model; or (iii) an indication that one of the bands is highly anisotropic.

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Superconductivity in oxypnictides¹ shows a myriad of unconventional properties. As the electron-phonon coupling in these materials is too small to account for the high observed T_c values, the presence of a spin-density-wave order with (π,π) momentum fostered the scenario for a spin-fluctuation pairing mechanism.³ Another distinguishing feature of pnictide superconductors is the presence of multiple bands crossing the Fermi energy.⁴ In a multiband superconductor it is natural to expect several superconducting gaps. The earliest observation of two superconducting gaps in the same material was done in Nb doped SrTiO3 which has a sub Kelvin T_c . The presence of two superconducting gaps in MgB₂ (Ref. 6) with $T_c \sim 40$ K, made multiband superconductivity accessible for most measurement techniques. Ba(Fe, Co)₂As₂ seems to be another example of a high- T_c superconductor with multiple gaps. The unconventional pairing mechanism and the multiband character of Ba(Fe, Co)₂As₂ open several possibilities for the gap symmetry with interesting consequences for the optical conductivity.

Several groups have measured the optical conductivity of Ba(Fe,Co)₂As₂ and other pnictides.⁷⁻¹² Far-infrared measurements by Gorshunov et al. 10 show that, although a gap seems to be present in the optical conductivity, a single s-wave Mattis-Bardeen description fails at low frequencies. The data show a residual conductivity that is much higher than that produced by thermally broken pairs, van Heumen et al. 8 showed that the optical conductivity can be described by the superposition of two s-wave gaps. However, in their analysis the smaller gap energy falls at the lower end of their measured spectral range. As a result, their fits are dominated mostly by the high-frequency (above the gap) Mattis-Bardeen response. The Kim et al.9 description of the farinfrared optical conductivity, obtained by ellipsometry, takes into account the presence of three superconducting gaps, having values compatible with other techniques. Their overall 5 K spectrum is well described but does not show any clear signatures at the gap values.

Band-structure calculations suggest that the gap response

in Ba(Fe,Co)₂As₂ has s_{\pm} symmetry. ¹³ The Fermi surface is composed of different pockets: a hole pocket around the Γ point with an s gap having a sign opposite to the gap of the electron pockets at (π, π) . Hanaguri et al. 14 have obtained strong evidence for such a sign change in Fe(Se, Te) from the observed magnetic field response of the quasiparticle interference patterns seen in scanning tunneling microscopy. Nonmagnetic interband impurity scattering is pair breaking in s_+ symmetry the same way that Abrikosov-Gorkov (AG) (Ref. 15) magnetic impurities are in the isotropic s-wave case. The strong scattering limit of AG can give separate impurity levels in the gap^{16–18} which broaden into a band at larger values of doping. Vorontsov et al. 19 have noted that this leads to a T^2 low-temperature penetration depth in agreement with some experiments. Such pair breaking effects provide absorption within the gap in optics.²⁰ Alternatively, as discussed by Chubukov et al., 21 the electron band can be very anisotropic and possibly even have nodes on the Fermi surface. If so, these nodes could be lifted through impurity scattering.^{22,23} Indeed, such an effect has been observed in the $B_{2\varrho}$ Raman spectra of Ba(Fe_{1-x}Co_x)₂As₂.²⁴

As no clear-cut picture emerges from a multigap fitting of the optical conductivity, here we take a model independent approach to the analysis of the data. We show that the optical conductivity of Ba(Fe_{0.92}Co_{0.08})₂As₂ can be described by the superposition of an *s*-wave gap and a Drude term representative of subgap absorption in the superconducting state. We discuss the extra optical conductivity in the framework of broken pairs, gap anisotropy or impurity levels in the gap.

We measured the near normal (10°) incidence reflectivity of a Ba(Fe_{0.92}Co_{0.08})₂As₂ single crystal on a cleaved *ab* plane. The sample was grown by a self-flux method²⁵ and showed T_c =22.5 K. The measured surface was 3×3 mm². The absolute reflectivity was measured in Paris on Bruker IFS113v and IFS66v spectrometers. Data from 20 to 8000 cm⁻¹ were collected at several temperatures down to 4 K inside an ARS Helitran cryostat. In order to obtain the absolute reflectivity of the sample, we used an *in situ* gold

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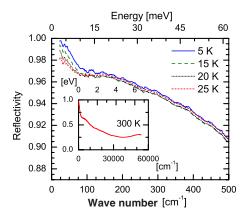


FIG. 1. (Color online) Reflectivity of Ba(Fe,Co)₂As₂ at low temperatures above and below T_c =22.5 K. The inset shows the 300 K reflectivity in the full measured spectral range.

overfilling technique.²⁶ With this technique, we can achieve an absolute accuracy in the reflectivity better than 1% and the relative error between different temperatures is on the order of 0.2%. In order to use Kramers-Kronig analysis to obtain the optical conductivity, we measured the roomtemperature reflectivity up to 55 000 cm⁻¹ and appended the data to all other temperatures. We completed the low frequency absolute reflectivity data using either a Hagen-Rubens or a two-fluid extrapolation. At high frequencies we used a constant reflectivity up to 200 000 cm⁻¹ and terminated the data with a ω^{-4} free-electron response. Different choices of low- and high-frequency extrapolations did not change the optical conductivity more than 1% in the [25-300] cm⁻¹ range. low-frequency The very superconducting-to-normal reflectivity ratios (R_S/R_N) were measured in Tallinn down to 5 cm⁻¹ utilizing a SPS200 (Sciencetech, Inc.) polarizing Martin-Puplett interferometer. This setup is described in Ref. 27, and it probes the conductivity in the ab plane without contamination from the c-axis conductivity.

Figure 1 shows the far-infrared absolute reflectivity at low temperatures, above and below T_c . Upon crossing the superconducting transition, the reflectivity increases below $100~\rm cm^{-1}$ but does not reach a flat unity response expected for a fully *s*-wave-gapped superconductor. The inset of this figure shows the reflectivity at 300 K measured in the full spectral range.

The open symbols in Fig. 2 are the real part of the optical conductivity (σ_1) determined at 15 and 30 K. The solid lines are a multicomponent fit for σ_1 , written as

$$\sigma_{1}(\omega) = \frac{2\pi}{Z_{0}} \left[\frac{\Omega_{p}^{2}}{\tau} \frac{1}{\omega^{2} + \tau^{-2}} + \frac{\gamma \omega^{2} S^{2}}{(\Omega^{2} - \omega^{2})^{2} + \gamma^{2} \omega^{2}} \right] + \sigma_{1}^{S}(\omega, \Omega_{p}^{N}, \tau_{N}, \Delta, T), \tag{1}$$

where Z_0 is the vacuum impedance. The first term in Eq. (1) corresponds to a Drude response of unpaired carriers; the second term to a Lorentz oscillator describing a finite-frequency resonance; and the last term (σ_1^S) , which exists only below T_c , is the optical conductivity for an s-wave superconductor. The Drude response is characterized by a

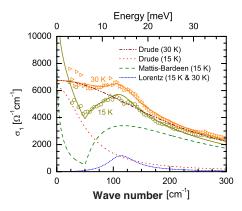


FIG. 2. (Color online) The open circles are the real part of the optical conductivity at 15 K and the open triangles at 30 K. The solid lines going through these points are fits to the data using Eq. (1). In the normal state the fit is composed of a Drude term $(\Omega_p = 9250~{\rm cm^{-1}};~\tau^{-1} = 210~{\rm cm^{-1}})~$ and a Lorentz peak $(\Omega = 114~{\rm cm^{-1}};~S = 2071~{\rm cm^{-1}};~\gamma = 61~{\rm cm^{-1}}).$ In the superconducting state, the same Lorentz peak is kept and the Drude term has its spectral weight divided up between a Mattis-Bardeen s-wave gap $(\Omega_p^N = 8210~{\rm cm^{-1}};~\tau_n^{-1} = 200~{\rm cm^{-1}};~2\Delta = 50~{\rm cm^{-1}})$ and a residual Drude peak $(\Omega_p = 4450~{\rm cm^{-1}};~\tau^{-1} = 53~{\rm cm^{-1}}).$

plasma frequency (Ω_p) and a scattering rate (τ^{-1}) . The Lorentz oscillator is defined by a resonance frequency (Ω) a linewidth (γ) and a plasma frequency (S). We took σ_1^S in the convenient form proposed by Zimmermann $et~al.^{28}$ Besides the temperature (T) and the superconducting gap (Δ) , it also depends on the Drude weight (Ω_p^N) and the scattering rate (τ_N^{-1}) that the carriers would have, had the system been driven normal below T_C .

We fitted the 30 K data assuming a single Drude response and a Lorentz oscillator. The Drude term characterizes the free carriers. The origin of the Lorentz peak is not well established. It could be the response of localized carriers induced by disorder but as it has been seen in an independent Ba(Fe,Co)₂As₂ measurement,⁸ it is likely an intrinsic excitation such as low-energy interband transitions. In any case, its spectral weight is small and the parameters used in this Lorentz peak at 30 K were kept fixed at all other temperatures.

In a conventional BCS superconductor, one would replace the normal-state Drude term by a Mattis-Bardeen response alone. However, to describe the data at 15 K, we must keep an independent Drude peak in the superconducting state. The fit to the 15 K data is then composed of the same Lorentzian found at 30 K together with a Mattis-Bardeen and a Drude peak. The effect observed by Gorshunov et al., 10 namely, that the measured low frequency σ_1 is higher than the thermally broken pairs in a Mattis-Bardeen term, is clearly shown in Fig. 2. Adding the Drude response in the superconducting phase (red dotted line) to the Mattis-Bardeen component (green dashed line), leads to a proper description of the data below 50 cm⁻¹. Note that the measured σ_1 has a lowfrequency upturn with a width (~50 cm⁻¹) that is much broader than the width (~10 cm⁻¹) of the thermally broken pairs from the BCS contribution. Hence, the Mattis-Bardeen description fails below the gap and the low frequency σ_1 requires the additional Drude peak in the superconducting

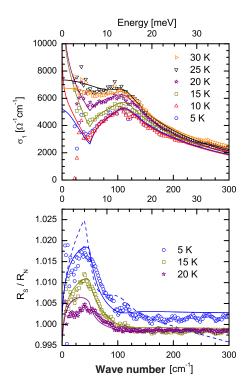


FIG. 3. (Color online) The top panel shows the measured σ_1 (symbols) at various temperatures and corresponding fits (solid lines) using Eq. (1). The symbols in the bottom panel are the measured superconducting-to-normal reflectivity ratios (R_S/R_N) and the simulations obtained by using the parameters that fit the optical conductivity. R_N is taken at 25 K. The blue dashed line is the best fit assuming that the superconducting state has no unpaired quasiparticles due to scattering pair breaking (no Drude term).

state. Before proceeding, let us remark that we also attempted describing our data with multiple gaps (up to 5) or a continuous superposition of gaps to simulate a d-wave-like response. In all cases a satisfactory description of the superconducting σ_1 required the presence of a residual Drude peak, having the same width and weight as the one obtained in the single-gap approach. We also found that the total spectral weight of the superfluid is equivalent to that from the single-gap description. However, due to the large number of parameters there is no unique solution to the fit that would define the contribution of each gap. In this perspective, the single-gap approach grasps all the useful information and produces a more robust fitting of the data.

The top panel in Fig. 3 shows the above model applied to the measured temperatures, up to 30 K. We first fitted the 30 K data. Below T_c we allowed the plasma frequency and the scattering rate of the Drude peak as well as the spectral weight $[(\Omega_p^N)^2]$ of the Mattis-Bardeen contribution to vary independently. For the latter term, we also used as input parameters the measured temperature and a superconducting gap of 2Δ =50 cm⁻¹, an average value in agreement with other measurements in the same system.^{8,9,11} The scattering rate τ_N^{-1} was also taken as a fixed parameter and its value was set to 200 cm⁻¹—the average of the scattering rates obtained at 25 and 30 K.

The open symbols in the bottom panel of Fig. 3 show the reflectivity ratios R_S/R_N , where R_N is taken at 25 K. The

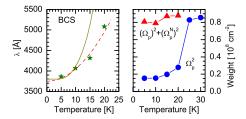


FIG. 4. (Color online) The symbols in the left panel depict the temperature evolution of the penetration depth calculated from the imaginary part of the optical conductivity. The solid line is a single gap BCS calculation with $2\Delta=50~\rm cm^{-1}$. The dashed line is a quadratic ($\Delta\lambda=3.2T^2$) behavior. The right panel shows the application of the f-sum rule to Ba(Fe,Co)₂As₂. The solid blue circles are the spectral weight of the Drude term in both normal and superconducting states. The solid triangles represent the total weight in the superconducting state, including the superfluid stiffness.

solid lines are calculations utilizing the same parameters as those in the upper panel. The dashed line is an attempt to make a fit to the 5 K data with an *s*-wave gap and no residual Drude peak. Here, again, the presence of an extra Drude term in the superconducting state is paramount to the description of the data

This approach is clearly a convenient way to parametrize the optical response of $Ba(Fe,Co)_2As_2$. But does it represent a more fundamental physical interaction? The assumption in introducing a residual Drude term in the superconducting state was that extra states, other than thermally broken pairs, exist below T_c . We remark that the Drude profile obtained for the subgap absorption is inconsistent with separate finite-energy impurity levels in the gap. So, we will focus our discussion in the pair breaking and the gap anisotropy scenarios.

The solid stars in the left panel of Fig. 4, show the thermal dependence of the penetration depth calculated from the imaginary part of the optical conductivity. The BCS behavior, shown as the solid line, cannot describe the data. The dashed line is the T^2 behavior compatible with nodes in the gap¹¹ or a multigap system with pair-breaking interband scattering. ¹⁹ To get a better insight into these two pictures we can use the optical conductivity f-sum rule

$$\int_0^\infty \sigma_1(\omega)d\omega = \frac{\pi^2}{Z_0}\Omega_p^2. \tag{2}$$

Equation (2) implies charge conservation and is independent of external parameters such as the temperature. In a conventional BCS superconductor, the weight of the normal-state Drude peak (Ω_p^2) is fully transferred to the Mattis-Bardeen weight $[(\Omega_p^N)^2]$.

The right panel of Fig. 4 shows the f-sum rule applied to our model. The solid circles are the temperature evolution of the spectral weight of the normal-state Drude peak and the superconducting state residual term. At T_c there is a large drop (\sim 75%) in the spectral weight of the unpaired carriers but it does not vanish in the superconducting state. When we add the spectral weight of the Mattis-Bardeen term, we find the line defined by the solid triangles. This figure shows that

the total spectral weight is conserved and that the normalstate Drude term exactly transfers its weight to the residual unpaired quasiparticles plus the particles participating in the Mattis-Bardeen superconducting response. Vorontsov et al. 19 estimated that impurity scattering leads to a T_c of 30–60 % of its clean limit value in Ba(Fe,Co)₂As₂. Nicol and Carbotte²⁰ calculated σ_1 for a superconductor in the presence of pair breaking. From their results, we can calculate that the residual subgap spectral weight for the T_c drop estimated in Ba(Fe, Co)₂As₂ is in the 3-8% range. Therefore, the observed 25% remaining spectral weight is more consistent with a highly anisotropic gap in the electron pocket, 21-24,29 which could have nodes or a very small effective gap. Optical data cannot, on its own, differentiate between these two models for the electron pocket, although recent thermalconductivity data argue for a small gap possibly less than 1 meV.30

We measured the far-infrared optical conductivity of $Ba(Fe_{0.92}Co_{0.08})_2As_2$ in the normal and superconducting states. We found a clear signature of the superconducting gap but a plain Mattis-Bardeen *s*-wave approach fails to describe

the low-frequency optical conductivity. The introduction of an additional Drude peak, which accounts for the additional low energy absorption, reconciles the model and the data. We show that this extra peak and the coexisting s-wave term respects the total sum rule indicating a common origin for the carriers in both responses. This extra absorption could be due to gap anisotropy of the electron pocket; $^{21-24}$ impurity localized levels inside an isotropic gap; $^{16-18}$ or pair breaking due to interband impurity scattering in an s_{\pm} symmetric gap. 19,20 When we look into the spectral weight of the residual Drude term, we find that it is closer to the predictions of the anisotropic extended s-wave picture.

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